



# WIND POWER



# Agenda

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## Resources and Utilization

- Global & local wind resources/patterns

## Reading Assignments

A&J 4.1-4.4

A&J 6.1-6.13

LN 3.2

Next

A&J 5.1-5.7 (Hydropower)

## Technology

- Wind tower design and functionality
  - Wind speed distributions
  - Blade aerodynamics, lift and drag, wake turbulence
  - Turbine power generation, design parameters

## Technical Summary

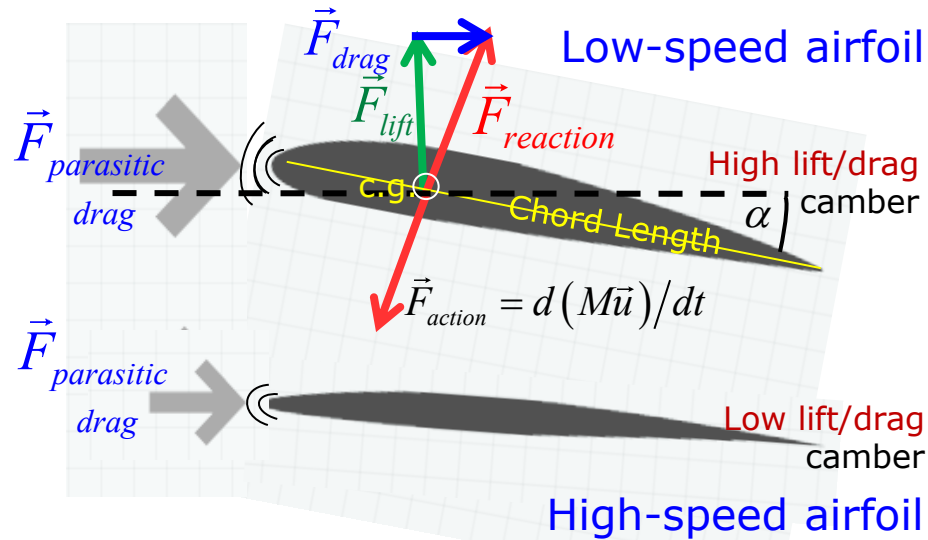
- Wind farms, design and operations
  - Onshore and offshore windfarms, useful life
  - Construction parameters, cost, GHG emissions

## Wind power in national energy mix

- Global and U.S. wind power: Status and outlook
  - Installations, prospects for NetZero
- Strategic issues
  - Performance, ecological impact,...

# Airstream Deflection by Airfoils

$\rho_{\#}$  = air # density,  $u$  = air speed,  $A$  = wing area  $\perp$  wind

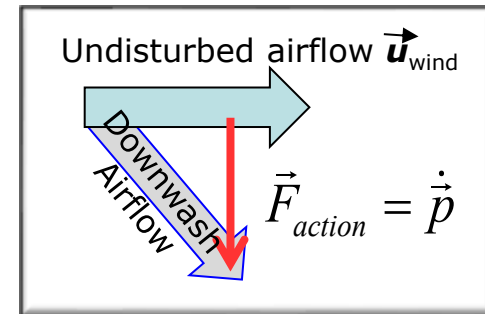


Air flow density  $J = \rho_{\#} \cdot u$  (particles/s  $\cdot$  m<sup>2</sup>)

Energy density  $E/V = (1/2)m \cdot \rho_{\#}u^2$  (J/m<sup>3</sup>)

Lift depends on **asymmetric shape** (camber) and **incline** (angle of attack  $\alpha$ ) of air foil relative to air flow. Airstream is deflected downwards.

Low lift camber generates lift at high speeds relative to airmass.



Deflecting airstream  $\rightarrow$  Newton's Law

$$\vec{F}_{action} = -\vec{F}_{reaction}$$

$$\vec{F} = \frac{d}{dt}(\text{air mass} \cdot \vec{u}) = [\rho_{\#} \cdot u \cdot A] \cdot d(m \cdot \vec{u})$$

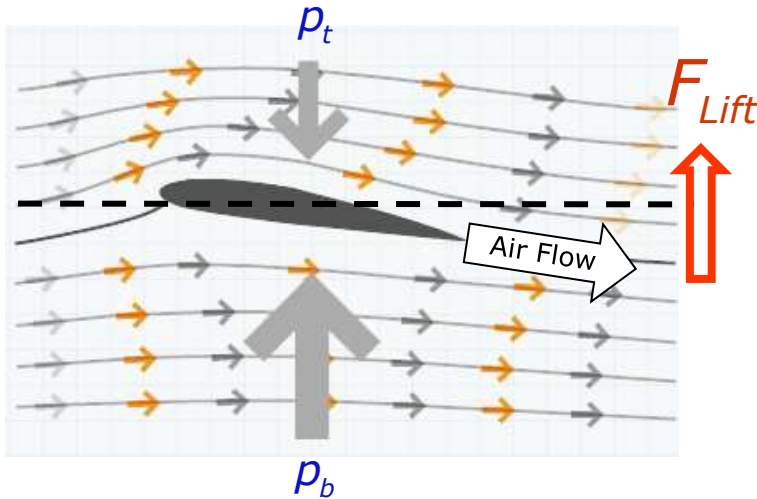
Momentum change  $dp \sim m \cdot u \cdot \sin \alpha$

$$\text{Lift force: } F_{lift} = L = C_L(\alpha) \cdot \frac{1}{2}(\rho_m \cdot A \cdot u^2)$$

$$\rightarrow \vec{F}_{reaction} = -\vec{F}_{action} = \vec{F}_{lift} + \vec{F}_{drag}$$

# Airstream Pressure Differential by Airfoils

Reduced static pressure on top  
Bernoulli's Principle → partial lift



Additional (lesser) lift & drag source:

Difference in Bernoulli dynamic pressures between above and below airfoil.  
Depends on curvature of the "camber"  
→ force differential

$$p_t + (1/2) \rho_m \cdot u_t^2 = p_b + (1/2) \rho_m \cdot u_b^2$$

$$\frac{F_{Lift}}{A} = p_b - p_t = \frac{1}{2} \rho_m [u_t^2 - u_b^2]$$

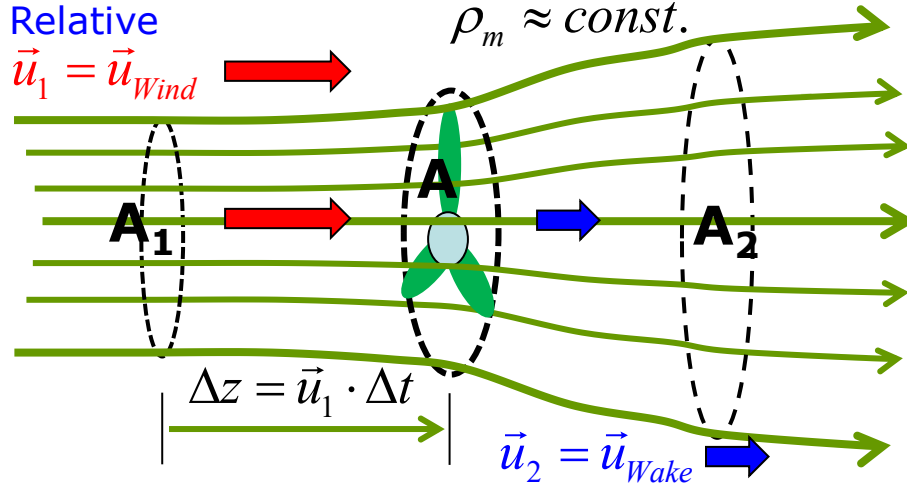
$$F_{Lift} \propto A \cdot \bar{u} \cdot \Delta u(\alpha, \dots); \quad \Delta u \approx \alpha \cdot \bar{u}$$

Lift force:  $F_{Lift} = L = C_L \cdot A \cdot \left( \frac{1}{2} \rho_m \cdot u^2 \right)$  depends on (wind speed)<sup>1</sup>

$C_L =$  coefficient of lift  $A = A(\alpha) =$  total airfoil (wing) area facing wind ( $\perp$ ) with relative speed  $u$  (really  $\Delta u$ )

Lift depends on shape (camber) and incline (angle of attack  $\alpha$ ) of air foil relative to air flow. Air stream deflected downwards.

# Aerodynamic Power Transfer



At turbine (obstacle),  $u_{\text{wind}}$  slows, stream-lines diverge, wind speed decreases,  $u_2 = u_{\text{wake}} < u_1 = u_{\text{wind}}$

Traversing  $A$ :  $\Delta V(u_1) = (u_1 \Delta t) A$

$$\text{with } \Delta E_{\text{kin}}(\Delta V) = (\rho \cdot \Delta V) \cdot \frac{m}{2} u_1^2$$

Continuity  $\rightarrow j_1 A_1 = \rho \cdot u_1 \cdot A_1 \approx \rho \cdot u_2 \cdot A_2 = j_2 A_2$ ; mass density  $\rho_m = m \cdot \rho$

Power flux @  $A_i$ :  $P_i = \frac{\Delta E_{\text{kin}}}{\Delta t} = (j_i \cdot A_i) \cdot \left( \frac{m}{2} \cdot u_i^2 \right) \propto u_i^3$

Power in air flow, Incoming:  $i=1$ , Wake:  $i=2$

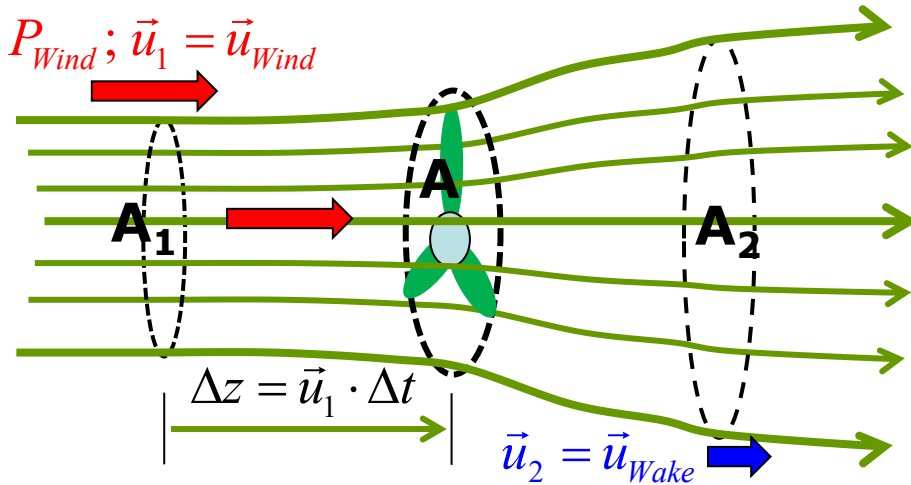
$\rightarrow$  Use average speed  $u_i = \bar{u}$  for mass flow during  $\Delta t$

Average speed  $\bar{u} := (u_1 + u_2)/2$  for mass flow  $dM/dt = \rho_m \cdot \Delta V / \Delta t = \rho_m \cdot \bar{u} \cdot A$

$\rightarrow$  Volume  $\Delta V(\bar{u})$  transfers power differential to turbine  $\bar{j} \approx \rho \cdot \bar{u}$

$$\Delta P = P_1 - P_2 \approx (\bar{j} \cdot A) \frac{m}{2} (u_1^2 - u_2^2) = \frac{(\rho_m A)}{4} (u_1 + u_2) (u_1^2 - u_2^2) \rightarrow \Delta P =: C_{\text{Turbine}} P_{\text{wind}}$$

# Aerodynamic Power Transfer



At turbine (obstacle),  $u$  slows, stream-lines diverge, wind speed decreases,  $\mathbf{u}_2 = \mathbf{u}_{\text{wake}} < \mathbf{u}_1 = \mathbf{u}_{\text{wind}}$

$$E_{\text{kin}} = \frac{1}{2} \cdot (\rho_m \cdot \Delta V) \cdot u_1^2, \quad \text{volume } \Delta V$$

through  $A$  in  $\Delta t$ :  $\Delta V(u_1) = A \cdot u_1 \cdot \Delta t$



$$P_{\text{wind}} = \frac{m}{2} (\rho \cdot A) \cdot u_1^3$$

Delivered to turbine:  $\Delta P =: C_{\text{Turbine}} P_{\text{wind}} \rightarrow$  power coefficient  $C_{\text{Turbine}} = \frac{\Delta P}{P_{\text{wind}}}$

$$C_{\text{Turbine}} \approx \frac{1}{2u_1^3} \cdot (u_1 + u_2) \cdot (u_1^2 - u_2^2) = \frac{1}{2} \cdot (1 + x) \cdot (1 - x^2) \quad \text{with } x := u_2/u_1$$

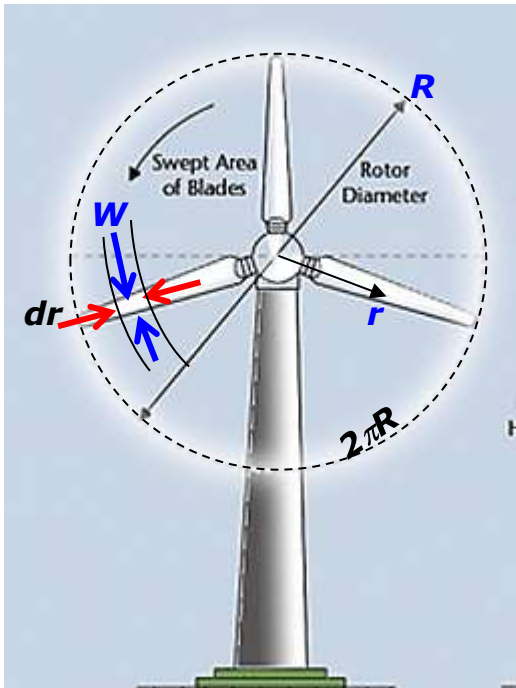
Maximum power:  $d(\Delta P)/dx = 0 \rightarrow x|_{\Delta P=\max} = 1/3 \rightarrow$  stable, self regulating

$$\text{Effective mean speed } \bar{u} := \frac{1}{2} u_1 (1 + x) = \frac{2}{3} u_1$$

$$C_{\text{Turbine}} = \frac{\Delta P}{P_{\text{Wind}}} \leq \frac{16}{27} = 0.593 \quad \begin{array}{l} \text{Betz} \\ \text{Limit} \end{array}$$

$\bar{u} := (1 - a)u_{\text{wind}}$   $\mathbf{a} =$  linear (axial) induction factor of turbine =  $f(\# \text{blades}, A_i)$

# Turbine Generation Potential & Challenges



Generic analysis of aerodynamic power transfer from *ideal laminar* airmass flows, speed  $u_{Wind}$  around turbine with **sweep area** of  $A_{TurbineSweep}$

Best performance (@homogeneous conditions):

$$u_{Wake} = \frac{1}{3} u_{Wind} \rightarrow \text{Mean } \bar{u} = (1 - a) u_{Wind} = \frac{2}{3} u_{Wind}$$

$$P_{Wind} = \frac{\Delta E_{Wind}}{\Delta t} = A_{TurbineSweep} \cdot \left( \frac{\rho_{air}}{2} \cdot u_{Wind}^3 \right)$$

$$\Delta P_{Turbine} = C_{Turbine} \cdot P_{Wind} \rightarrow 0 \leq C_{Turbine} \leq \frac{16}{27} = 0.593 \quad \text{Betz Limit}$$

Simplistic assumptions: unique camber geometry, relative  $\mathbf{u}_{wind} = \text{const}$  in time and along a blade  $\rightarrow$  mechanical stability: load distribution.

Specific aerodynamic design of rotor blades: with increasing  $r$ , **taper camber area**  $W$  and **adjust angle of attack**  $\alpha$  (twist blades).

**Compromise:** Efficiency vs. mechanical stability (vibrations)

$\rightarrow$  N=3 blades per rotor.

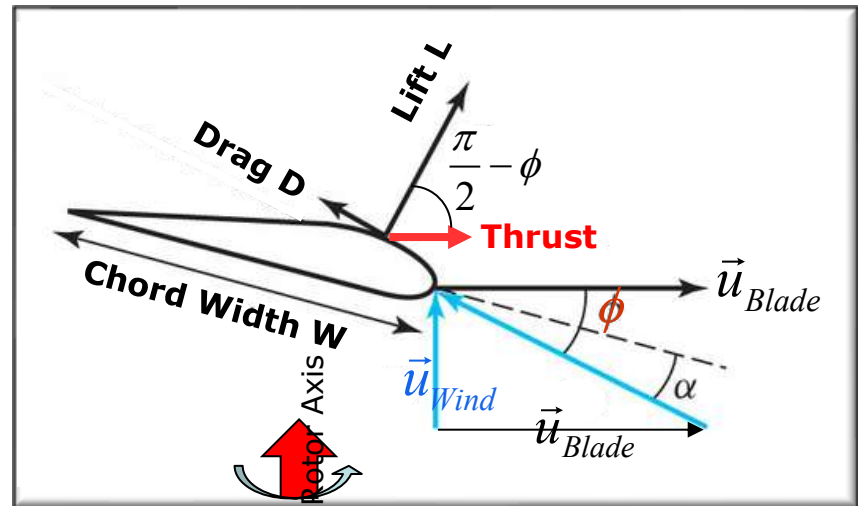
Operational range: **Blade tip** speed/wind speed  $\lambda = u(R)/u_{wind} \approx 3-7$ .

# Rotor Blade Aerodynamics



## Wind relative to moving rotor blade

$$\vec{u}_{relative} = \vec{u}_{Wind} - \vec{u}_{Blade}$$

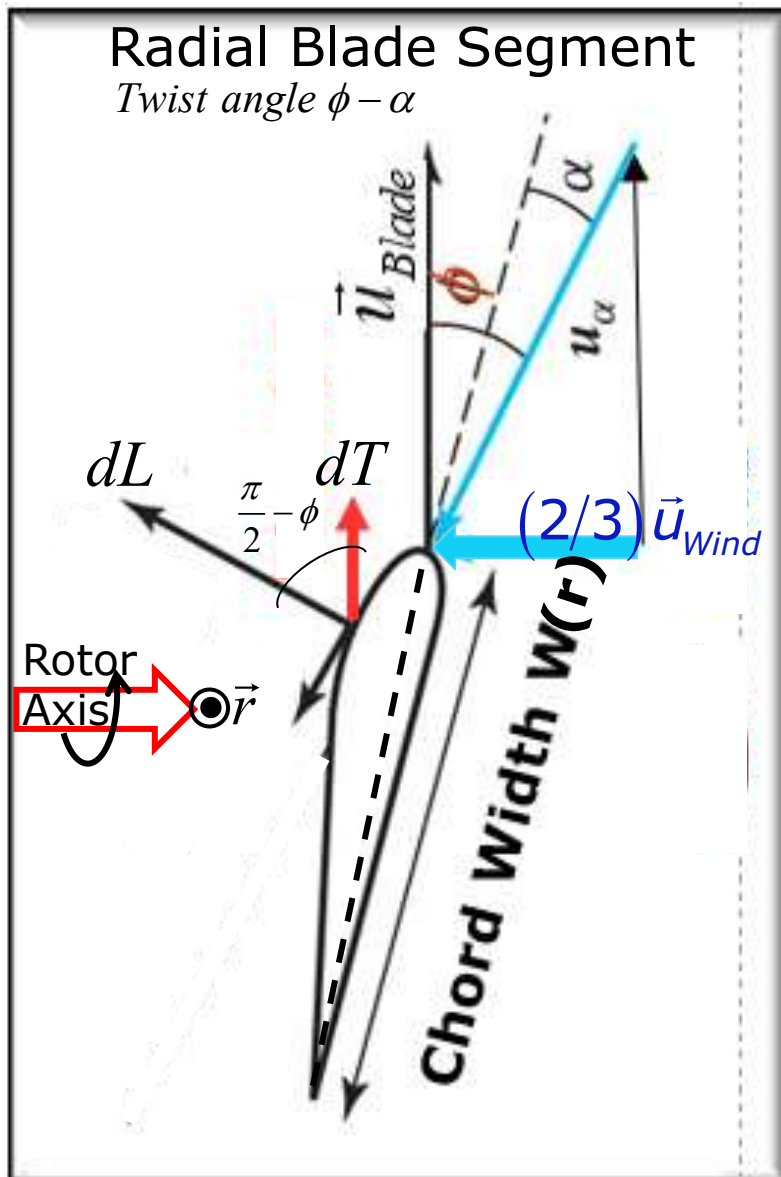


### Aerodynamics along blade profile :

- 1) Lift is low close to hub (root), high at tip.  
Use larger chord close to root.
- 2) Effective angle of attack decreases with  $r \rightarrow$  loss of lift @  $v = \text{const.}$  efficiency.  
**Twist blade** by  $10^\circ - 20^\circ$  from root to tip.
- 3) Blade shape adjusted to fit hub & nacelle.

Velocity  $\mathbf{u}_{Blade} = \mathbf{r} \cdot \omega$  of blade relative to air increases with radial distance  $r$  from hub  $\rightarrow$  lift increases with  $r$  for a given angle of attack  $\rightarrow$  mechanical strain.  
 $\rightarrow$  Design twist angle  $\phi = \phi(r)$

# Apparent Wind Velocity Vector



What counts is the **relative wind speed** and direction.

$$\vec{u}_\alpha = \vec{u}_{Wind} - \vec{u}_{Blade}$$

Blade velocity changes both, speed and effective angle of attack  $\phi \rightarrow \phi = \phi(r)$ .

$$\tan \phi = \frac{u_{Wind}}{u_{Blade}} \quad \text{and} \quad u_{Blade}(r) = \frac{r}{R} u_{Tip}$$

Convenient Approximation

$$\vec{u}_\alpha \rightarrow \bar{u}_\alpha = \frac{2}{3} \frac{\vec{u}_{Wind}}{\sin \phi(r)}; \quad \tan(\phi(r)) = \frac{2}{3} \cdot \frac{R \cdot u_{Wind}}{r \cdot u_{Tip}}$$

Thrust  $dT$  on ring segment  $dA$  from power  $dP$

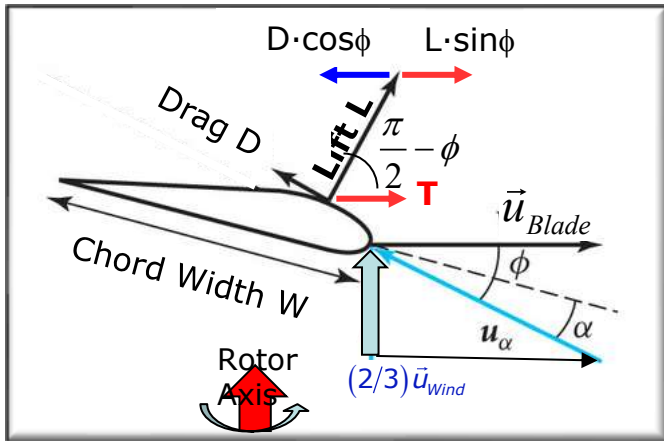
$$dP = dT \cdot u_{Blade} = dL \cdot \cos \phi \cdot u_{Wind} = dL \cdot \sin \phi \cdot u_{Blade}$$

$\leftrightarrow$  thrust  $dT$  on element  $W$

$$dT = dA \cdot \rho_m \cdot \left( \frac{2}{3} u_{Wind} \right)^2 \quad \text{circular sweep area} \\ dA = 2\pi \cdot r \cdot dr$$

$$dL = \frac{1}{2} C_L \cdot (\rho_m \cdot W(r) dr) \cdot u_\alpha^2(r)$$

# (Lift) Induced Drag



For an air foil exposed to an air flow, there is always an induced drag associated with lift countering thrust:

$$L = \frac{1}{2} C_L \cdot (\rho_m \cdot A) \cdot \bar{u}^2, \quad D = \frac{1}{2} C_d \cdot (\rho_m \cdot A) \cdot \bar{u}^2$$

Effective force (thrust) is  $\perp$  rotation axis

$$L_{\text{eff}} = L \cdot \sin \phi - D \cdot \cos \phi = L \cdot \sin \phi \left[ 1 - \left( \frac{C_d}{C_L} \right) \cdot \cot \phi \right]$$

Drag/lift ratio :  $g = C_d/C_L$

Long air foil (propeller/rotor blade)  $\rightarrow$  large changes in effective wind speed.  
Equalize **blade loading** by chord/camber variation along foil.

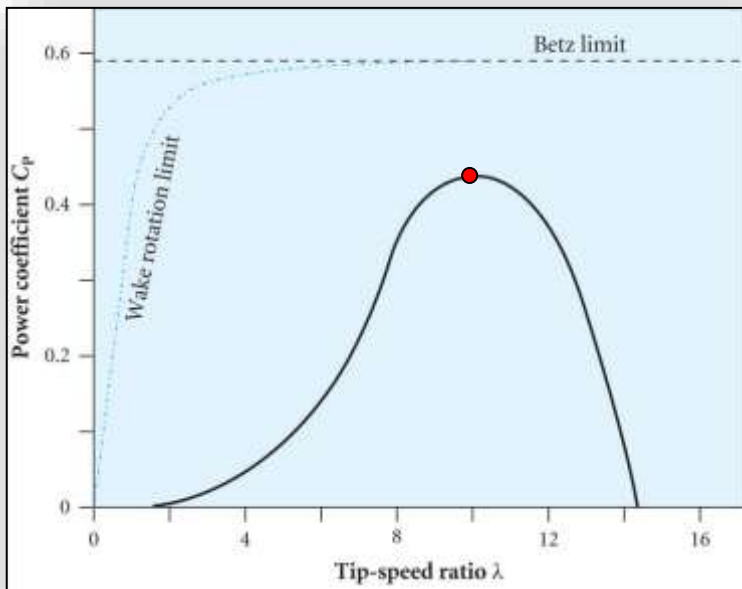
"Twist" angle :  $\cot \phi(r) = \left( \frac{3\lambda}{2R} \right) \cdot r$  *Large near tip*

Use typical / representative  $r \approx (2/3) \cdot R \rightarrow \cot \phi \approx \lambda$

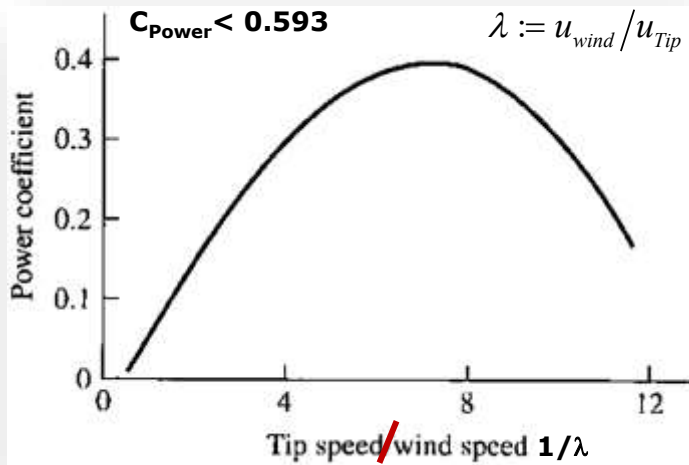
$$L_{\text{eff}} \sim L \cdot \sin \phi \cdot [1 - g \cdot \lambda] \rightarrow$$

$$C_{\text{Power}} \leq C_{\text{Betz}} \cdot [1 - g \cdot \lambda]$$

Modern turbines:  $g \sim 0.02$ ,  $\lambda \sim 10$



# Operational Turbine Power Limits



Operational range of turbines

$$u_{\text{cut-in}} \leq u_{\text{Wind}} \leq u_{\text{cut-out}}$$

Large range is not economical: electric generator has rotational (power output, frequency) requirements and limitations.

→ Rated (nominal) wind speed  $u_{\text{rated}} \approx u_{\text{cut-out}}/2$

→ Blades pitch (feather) if  $u_{\text{wind}} > 2 \cdot u_{\text{rated}}$ .

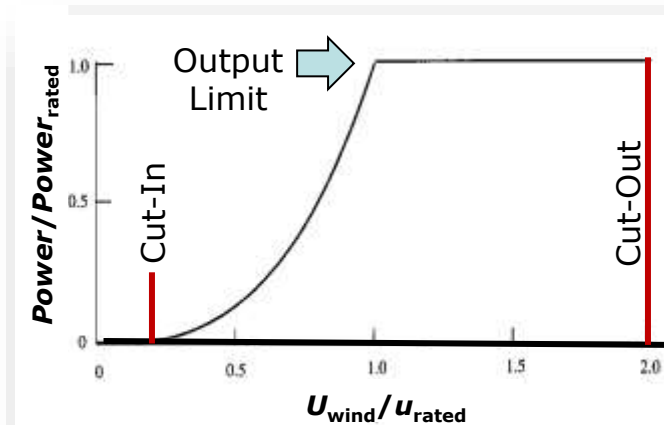
Capacity factor **CF**: =  $\langle \text{Power} \rangle_{\text{time}} / \text{Power}_{\text{rated}}$ .

Typical: **CF**  $\approx$  0.2-0.4

Properties of Wind Energy Turbine Systems<sup>a</sup>

|                                       |          |       |         |         |
|---------------------------------------|----------|-------|---------|---------|
| Rated electrical power (kW)           | 3,600    | 2,500 | 2,000   | 1,500   |
| Rotor diameter (m)                    | 104      | 100   | 80      | 70.5    |
| Rated wind speed (m/s)                | 14       | 12.5  | 15      | 13      |
| Cut-in wind speed (m/s)               | 3.5      | 3.5   | 4.0     | 4.0     |
| Cut-out wind speed (m/s)              | 27       | 25    | 25      | 25      |
| Rotor speed (rpm)                     | 8.5–15.3 | —     | 9–19    | 12–22   |
| Rated power/area (kW/m <sup>2</sup> ) | 0.424    | 0.318 | 3.98    | 0.384   |
| Rated power coefficient               | 0.257    | 0.270 | 0.196   | 0.290   |
| Tip speed ratio                       | 3.3–6.0  | —     | 2.5–5.3 | 3.4–6.2 |

<sup>a</sup> Data from <http://www.gewindenergy.com> and <http://www.vestas.com>.



After: Fay & Golomb, Energy and the Environment, Oxford U. Press, New York, 2012

# Angular Momentum and Wake Turbulence

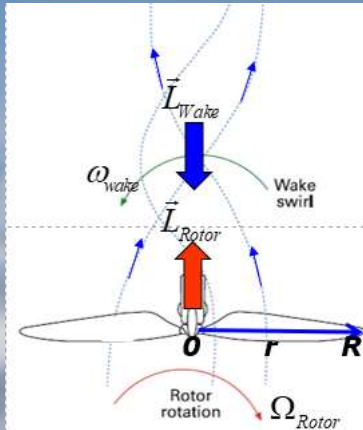


Image Credit: Vattenfall

[http://www.noaanews.noaa.gov/stories2011/20110426\\_windwakes.html](http://www.noaanews.noaa.gov/stories2011/20110426_windwakes.html)

Angular momentum conservation  
→ Wake acquires swirl (vortex)

$$0 = \vec{L}_{Wind} = \vec{L}_{Rotor} + \vec{L}_{Wake}$$



Distance between 2 turbines in column  $D \geq (8-10)$  rotor diameters

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## Wind power in national energy mix

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# Layout of Wind Farm

## The Long Path to the Grid

Energy transport for planned offshore wind parks

1 Each turbine in a wind farm sends its power to a transformer station via an internal cable.

4 Converter stations on land transform the power into three-phase electric power and feed it into the grid. Only little testing has been done worldwide on using HVDC technology with offshore wind farms.

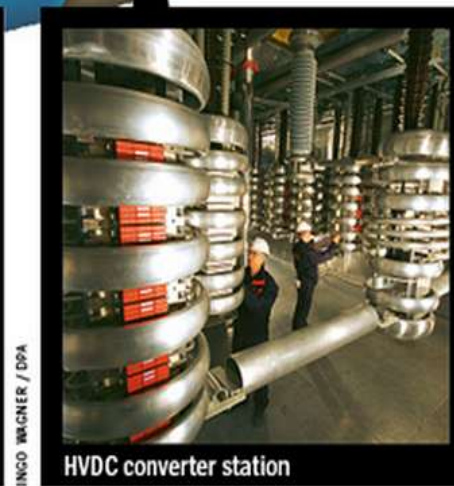


2 Multiple wind farms are grouped together in a cluster. Each transformer station sends its power to a converter platform.

3 The converter platform transforms alternating-current into direct-current power, which it sends toward the coast via an undersea high-voltage, direct current (HVDC) cable sometimes as long as 200 km (125 mi).



Converter platform BorWin alpha



INGO WAGNER / DPA

HVDC converter station

Feb 2013 DER SPIEGEL

Germany requires wind farms to be built much further from the coastlines than other countries do, which poses a number of technical challenges. This illustration explains how energy will make its way from wind turbines to the power grid. At the moment, obstacles still remain along this path, and the energy being generated by wind turbines isn't making its way to the grid.

# Collector/Inverter Station for Alpha Ventus



From turbine **30 kV → 110 kV, 75 MVA transformer** (AREVA).

Position: N 54°00', E 6°37.40'

Constructed in September 2008

30 m: elevation of helipad

25 m: elevation of main deck with crane, substation control and protection (I&C)/switch-gear plant/neutral earthing transformer, fire extinguishing system, MV and LV systems, emergency generator,

MVar throttle / 110 kV GIS (gasinsulated switchgear) system (AREVA)

21 m: cable deck with workshop, equipment room, lounge, diesel tanks, emergency generator, cable bench and oil sump

Cable deck and main deck:

Jacket foundation height: approx. 46 m

Jacket weight: approx. 650 t

Foundation piles: 30 m long, 2.7 m diameter, 100 t apiece

To get the power from off-shore wind farms to land, submarine cables (18cm dia, 110 kV HVDC) are used .

Distances are between 10 and 200 km.

Delays in developing technology and manufacturing equipment needed to get the power to shore.

# Construction of Alpha Ventus



Fundamente für Offshore-Windkraftanlagen auf dem Gelände der Siag Nordseewerke Emden. Die Stahlturme werden, nachdem sie in den Meeresboden gerammt wurden, nur provisorisch beleuchtet. "Mein Schreckensszenario ist, dass da mal ein Schiff reinkracht", sagt der Leiter des Referats Ordnung des Meeres, Christian Danke.

North Sea, depth= 30 m, 45km north of Borkum/Germany.

EWE AG, E.ON Climate & Renewables, and Vattenfall Europe Windkraft.

Tripods/towers (45m, 700 t steel) for mounting (12) off-shore AREVA/REpower wind turbines.

Hub+blade height 148/185 m.



Offshore-Windenergieanlagen im Industriehafen in Emden: Sie sollen auf See gebracht werden.

Installation of 12 towers=7 months (2009).  
Limited number of specialized barges.

Weight of 1 tower: 1,000 t  
Tip speed (rated) 320 km/h

# Installing Tower Foundations



DPA/ EWE Energie

Die Gründungspfähle werden im Gebiet 15 Kilometer nordwestlich von Borkum in den Meeresboden gerammt. Das Bundesamt für Seeschifffahrt und Hydrographie warnt nun vor der wachsenden Zahl halbfertiger Offshore-Windparks in der Nordsee.

# Construction of Alpha Ventus



REpower Systems/OBS

Installation auf hoher See: Eine Anlage, die speziell für den Einsatz in großen Wassertiefen konzipiert ist, wird aufgebaut.

# Construction of Alpha Ventus



In the wake of the 2011 Fukushima nuclear disaster, Germany announced an energy revolution, which aims to boost renewable energy to 35 percent of total power consumption in Germany by 2020 and 80 percent by 2050 while phasing out all of Germany's nuclear power reactors by 2022. Plans call for having offshore wind farms play a massive role in this effort.

# AREVA Wind Towers for Alpha Ventus



12 turbines @ 5 MW rated,  
produced 265 MWh in 2011.

Rotor diameter: 116 m  
Hub height: 90 m

Total height above seabed: 178 m  
Total above sea surface: 148 m

Rated output: 5 MW  
Rotation speed: 5.9 - 14.8 rpm

Cut-in wind speed: 3.5 m/s (force 3)  
Rated speed: 12.5 m/s (force 6)  
Cut-out speed: 25 m/s (force 10)

Blade tip speed: 90 m/s (324 km/h)

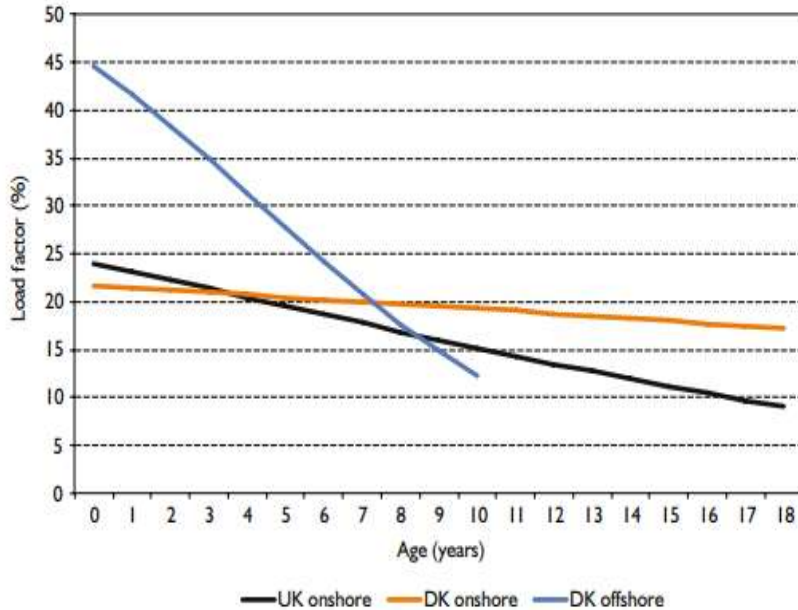
Nacelle w/o rotor & hub: 200 t  
with rotor and hub: 309 t

Weight of steel in tripod, tower,  
nacelle: 1,000 t

Tripod - weight of steel: 700 t;

Height: 45 m; Pile length: 35-45 m

# Windfarms: Useful Lifetime



From: Gordon Hughes, The Performance of Wind Farms in the United Kingdom and Denmark

Off-shore wind farms have higher capacity factors but high operational costs, limited useful life expectancy, due to harsh environment.

Early Danish experiences with off-shore wind farms: 80 turbines needed replacement in one year.

Limited experience from US, Danish and German wind farms.

Onshore wind farms have low-capacity factors but also low maintenance & operational costs and long (30+ year) useful life expectancy.

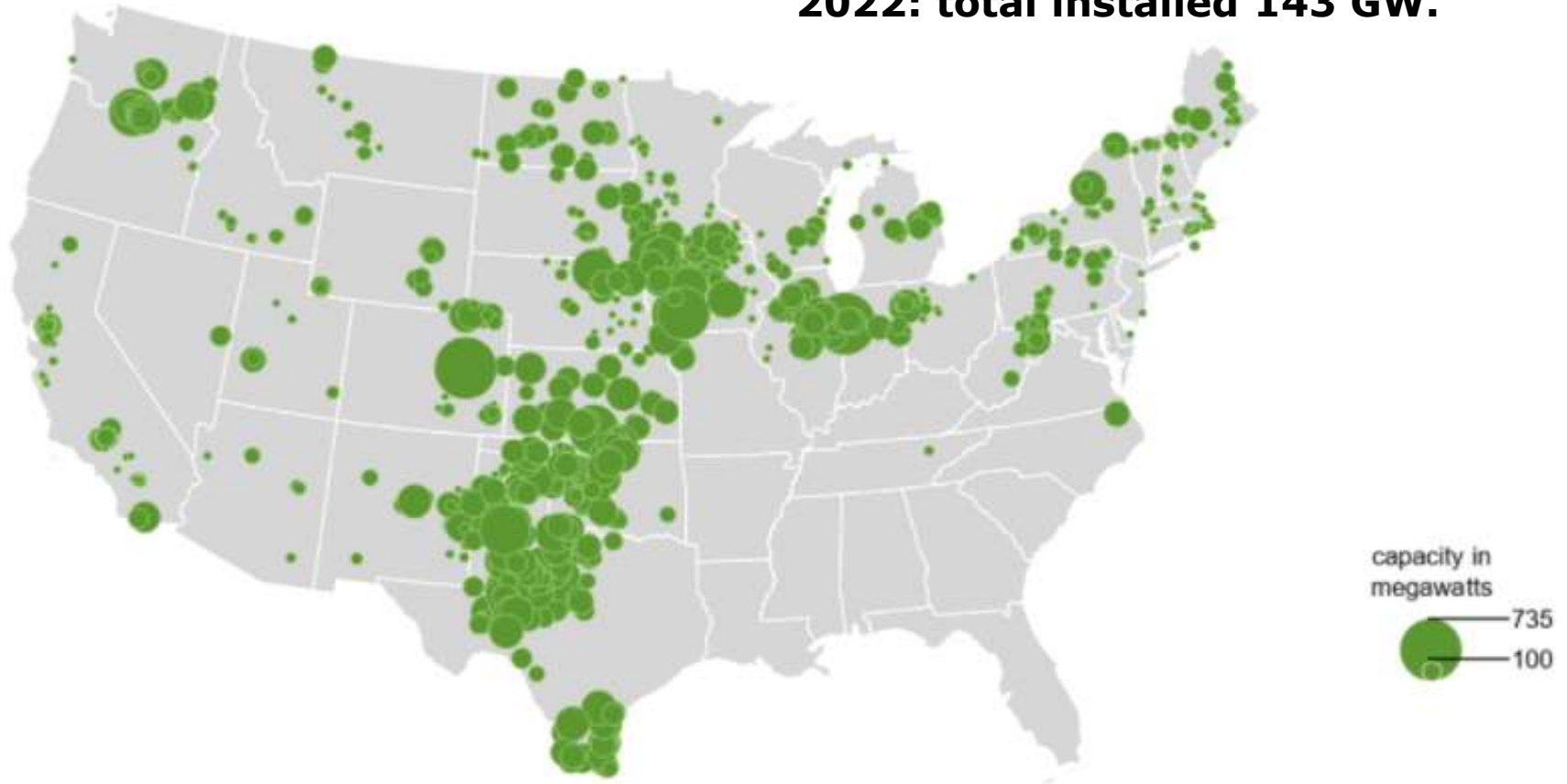
## Danish off-shore wind farms

| All data is to the end of Dec 2012 | 2012 capacity factor | Life capacity factor | Age (y) | MW <sub>p</sub> | Life Total elec. gen. (GWh) |
|------------------------------------|----------------------|----------------------|---------|-----------------|-----------------------------|
| Avedøre Holme                      | 40.1%                | 38.0%                | 2.5     | 10.8            | 90                          |
| Nysted (Rødsand) II                | 45.9%                | 44.5%                | 2.5     | 207             | 2053                        |
| Sprogø                             | 36.4%                | 35.6%                | 3.2     | 21              | 208                         |
| Horns Rev II                       | 52.0%                | 48.4%                | 3.3     | 209.3           | 2959                        |
| Nysted (Rødsand) I                 | 39.5%                | 36.8%                | 9.5     | 165.6           | 5097                        |
| Frederikshavn                      | 30.8%                | 29.8%                | 9.6     | 7.6             | 191                         |
| Samsø                              | 42.2%                | 39.5%                | 9.9     | 23              | 787                         |
| Rønland I                          | 48.5%                | 44.6%                | 10.0    | 17.2            | 671                         |
| Horns Rev I                        | 48.1%                | 41.2%                | 10.2    | 160             | 5877                        |
| Middelgrunden                      | 25.8%                | 25.6%                | 12.0    | 40              | 1078                        |
| Tunø Knob                          | 32.6%                | 29.9%                | 17.6    | 5               | 231                         |
| Vindeby                            | 20.2%                | 23.5%                | 21.3    | 4.95            | 217                         |
| <b>Total</b>                       | <b>44.9%</b>         | <b>39.1%</b>         |         | <b>871</b>      | <b>19,457</b>               |

# U.S. Electrical Power Plants (Wind)

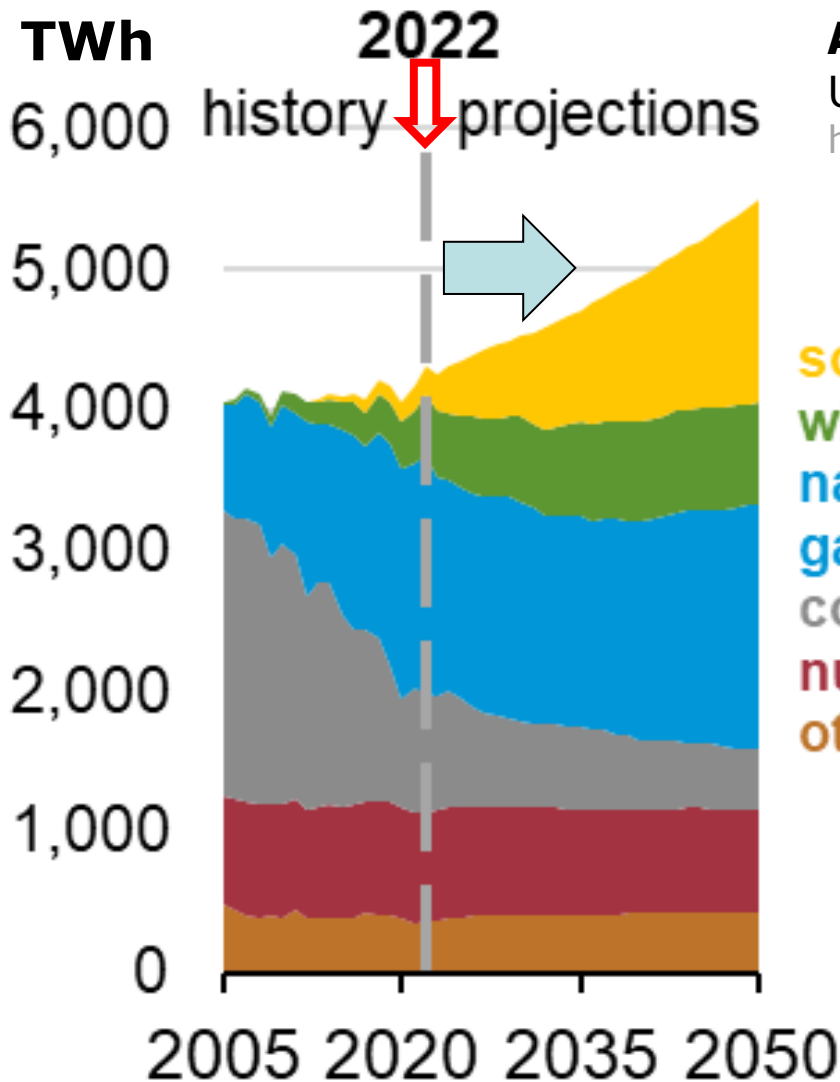
High rate of installations 2011-2020,  
Recent global slow-down.  
US 2020: total installed 123 GW. **US  
2022: total installed 143 GW.**

Distribution of U.S. wind capacity - 2019



Source: U.S. Energy Information Administration, [Annual Electric Generator Report](#)

# Annual U.S. Electricity Production



## Annual Energy Outlook AEO2024

U.S. Energy Information Administration  
<https://www.eia.gov/electricity/data/browser/>

| US 2024 GWh        | Source        |
|--------------------|---------------|
| 453.5E+03          | Wind          |
| 219.8E+03          | Solar         |
| 242.9E+03          | Hydroelectric |
| 781.9E+03          | Nuclear       |
| 1,869.9E+03        | Nat. Gas      |
| 652.2E+03          | Coal          |
| <b>3,771.2E+03</b> | <b>Total</b>  |

solar\*  
 wind  
 natural gas  
 coal  
 nuclear  
 other\*\*

# Wind Power: Strategic Issues

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- **Intermittency**, lacking effective energy storage @scale,  $CF \approx 0.3$ . Mis-matched to demand & e-grids, over and under production. Need continuous idle backup (baseload) power ( $> 100\%$  nominal).
- **Scalability**: Low power density of wind energy resources,  $\approx 3W/m^2 \rightarrow$  eco footprint  $\sim (10^2 - 10^3)km^2/GW$  soil/arable land.
- **Environmental effects**: Habitat degradation/destruction. Visual & audio pollution (stroboscopic flicker, audio effects), ice throw. Endangering/degrading biomass: bird/bat kill 2-3/(turbine & year). **Insects (Germany: Mt/a), relatively unknown habitat effects.**
- **Efficiency of generation & transmission**: operations/maintenance, limited life ( $< 30a$ ). Distance generation-consumption centers, transmission power losses, land for power lines.
- Dependence on critical minerals, metals  
Large amounts of cement/steel, other resources.
- Lack of domestic manufacturing basis for scaling  $\times(5-10)$  deployment, lack of skilled manpower, special equipment for off-shore.
- Economics: High cost of financing, long time to license & build. Special barges for off-shore installation, expensive maintenance.
- Public attitudes mixed. NIMBY, high power transmission lines.